Breaking of Josephson junction oscillations and onset of quantum turbulence in Bose-Einstein condensates

A. Griffin(1,3), D. Proment(2) & S. V. Nazarenko(3)

(1) Mathematics Institute, University of Warwick

(2) School of Mathematics, University of East Anglia

(3) INPHYNI, University of Nice Sophia

Abstract:

- We analyse the formation and the dynamics of quantum turbulence in a twodimensional Bose--Einstein condensate with a Josephson junction barrier
- A high initial superfluid density imbalance leads to generation of turbulence
- The Josephson junction barrier allows us to create two turbulent regimes: acoustic turbulence on one side and vortex turbulence on the other
- We present the optimal configurations for the density imbalance and barrier height in order to create the desired turbulent regimes which last as long as possible

Simulations of Gross-Pitaevskii equation: $i\frac{\partial \psi}{\partial t} = (-\nabla^2 + V(\mathbf{x}, t) + |\psi(\mathbf{x}, t)|^2)\psi(\mathbf{x}, t)$ $V(x, y, t) = V_0 e^{-\frac{x^2}{\sigma^2}} + V_d \tanh(x)H(t^* - t)$

Creation of Vortices:



Key observations:

- 1(a) Number of vortices has maximum away from no barrier case
- $_{1(b)}$ The number of vortices does

- Initially left box with higher density
- Shock wave passes barrier and is regularised by a train of solitons
- Snake instability triggers nucleation of vortices
- Vortices in low region have large cores, once there are many they do not act as hydrodynamic vortices (ghost vortices)
- Density continues to equilibrate causing the vortices to become hydrodynamic
- End with acoustic turbulence in one box and vortex turbulence in the other

Important quantities:

- V_0/μ Barrier strength
- Z_0 Initial imbalance
- $ar{N}_{_{\mathcal{V}}}$ -Mean number of vortices
- E_c -Proportion of compressible energy
- eta Vortex decay rate

 σ

- Standard deviation of Z(t) (imbalance)

Zoom of Creation:





not always increase with imbalance

1(c)

2(a)

The compressible energy increases almost linearly

Vortex decay rate increase wit imbalance/ compressible energy

2(b) De

2(c)

Decay rate is independent of barrier size

Large oscillations are damped by the barrier

